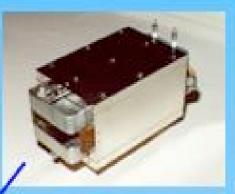
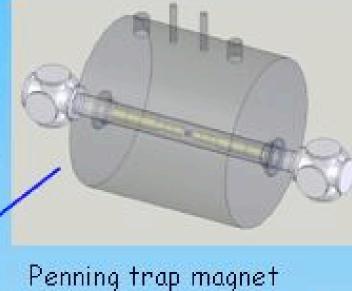




₩ McGillWien filter

(R=500)





EBIT under testing at MPI-HD. to TRIUMF July 2005.

Cooler trap for HCI (to be built in Manitoba, CFI grant received)

university of manitoba



RFQ operational on test bench



TITAN platform finished at ISAC

ordered (del. July 2005)

The TITAN system is under construction and will be operational for mass measurements at ISAC/TRIUMF in 2006.

Isotopes with T $_{1/2} \approx 10~\text{ms}$ $\delta m/m < 1.10^{-8}$

Why do we need to cool HCI between the EBIT and the precision Penning trap?

• ion temperature for mass measurement:

$$T_i \lesssim 1 \text{ eV/q}$$

• EBIT: $T_i \gg 1 \text{ eV/q}$ must be expected

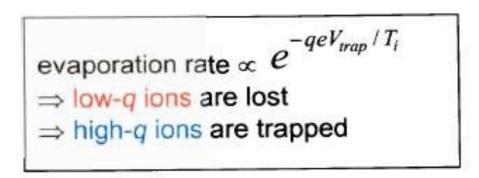
What do we know about ion temperatures in EBITs?

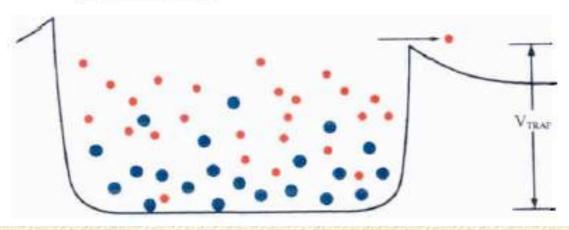
- REXEBIS: few 10 eV/q
- Oshima et al.: EBIS/ECRIS "generally" > 10 eV/q
- Dresden EBIT: $T_i = 3 6 \text{ eV/q}$ measured for Ar¹⁶⁺ but low j_e and E_e
- Livermore, evaporative cooling inside EBIT:
 10 20 eV/q for Dy⁶⁶⁺ (no data ?)
 Penetrante et al.
- Livermore, evaporative cooling & self-cooling during extraction: $T_i \approx 0.1 qeV_{\text{trap}} \Rightarrow \approx 10 50 \text{ eV/q}$ Marrs, TITAN workshop 2002 (no data)

U

Ion Heating and Cooling

- Ions are heated by Coulomb collisions with beam electrons
 - Heating rate per ion: $H_i = \pi \frac{j_e}{e} \frac{q^2 e^4}{E_e} \frac{2m_e}{M_i} \lambda_{ie}$
 - Example: ¹⁰⁰Sn⁴⁰⁺ in an Intense EBIT, H_i ≈ 5q eV/ms
 (Note: beam space charge potential ≈ 450q eV)
- Evaporative ion cooling reduces ion temperature and emittance





- Controlled injection and evaporation of low-Z ions compensates for electron beam heating of high-q ions
- Thermal equilibrium
 ⇒ T_i ≈ 0.1qeV_{trap}
- Self cooling during extraction can produce a dramatic reduction in ion temperature
- self-cooling requires slow (ms) spills not suitable in our case

Ion temperature on extraction from EBIT

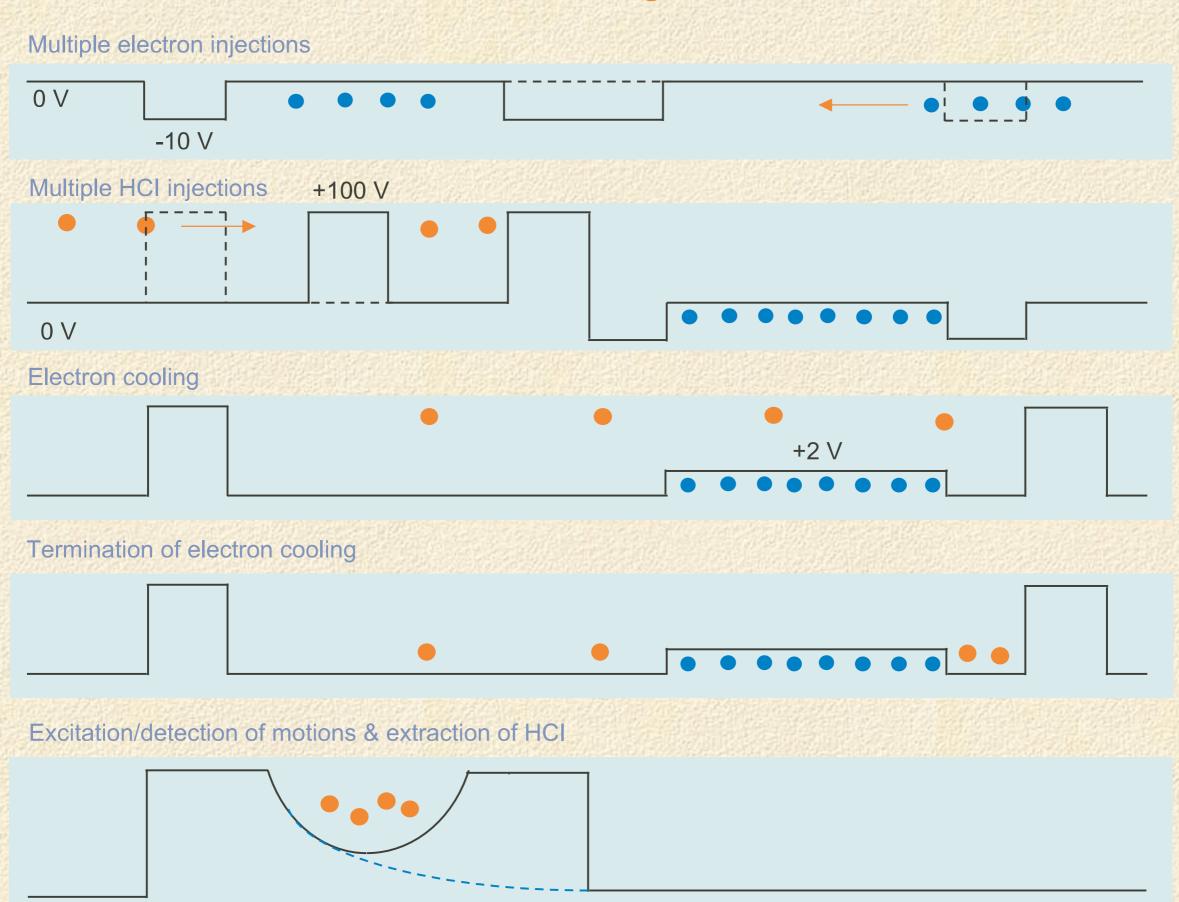
- actual data appears sparse
- no definite conclusions possible
- emittance/temperature measurements from TITAN EBIT will be necessary, and also interesting in general
- For now must assume that HCI have temperatures of 10...100 eV/q
 - ⇒ additional cooling before precision trap most likely necessary

Techniques for ion cooling

- buffer gas cooling
 - well established method for SCI
 NO (charge exchange)
- resistive cooling
 - well established, fast enough if Q high enough → would require cryogenic operation
 - o ion specific tuning of resonant circuit required

- electron cooling
 - o demonstrated for (anti)protons and HCI at $T_i \gtrsim$ few eV/q
 - advantage: electrons self-cool via synchrotron radiation
 - o disadvantage: electron-ion recombination
- positron cooling
 - avoids recombination, but technically more involved (mCi level source)
- ion-ion cooling with light, cool ions (protons, He²⁺)
 - no recombination issues
 - but no synchrotron cooling, need initially cold light ions

Electron Cooling Scheme

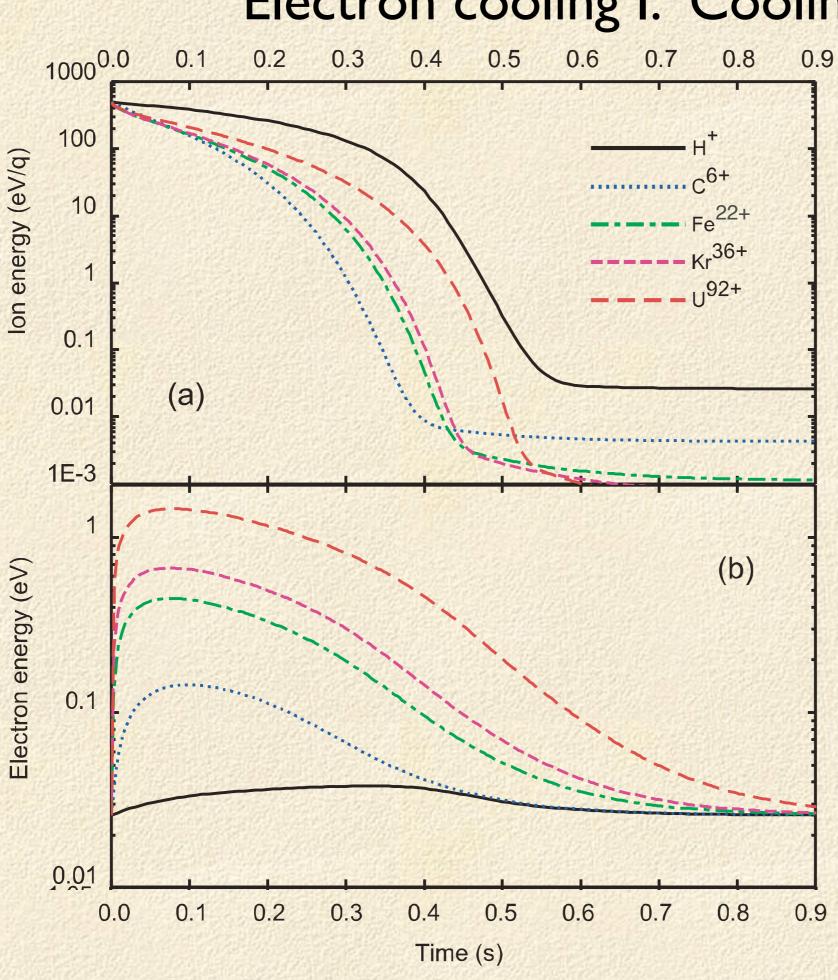


Simulations of Electron Cooling

- Ignore magnetic field
- simple two-component plasma model
 - Spitzer (1956), Rolston & Gabrielse (1989),
 Bernard *et al.* (2004)

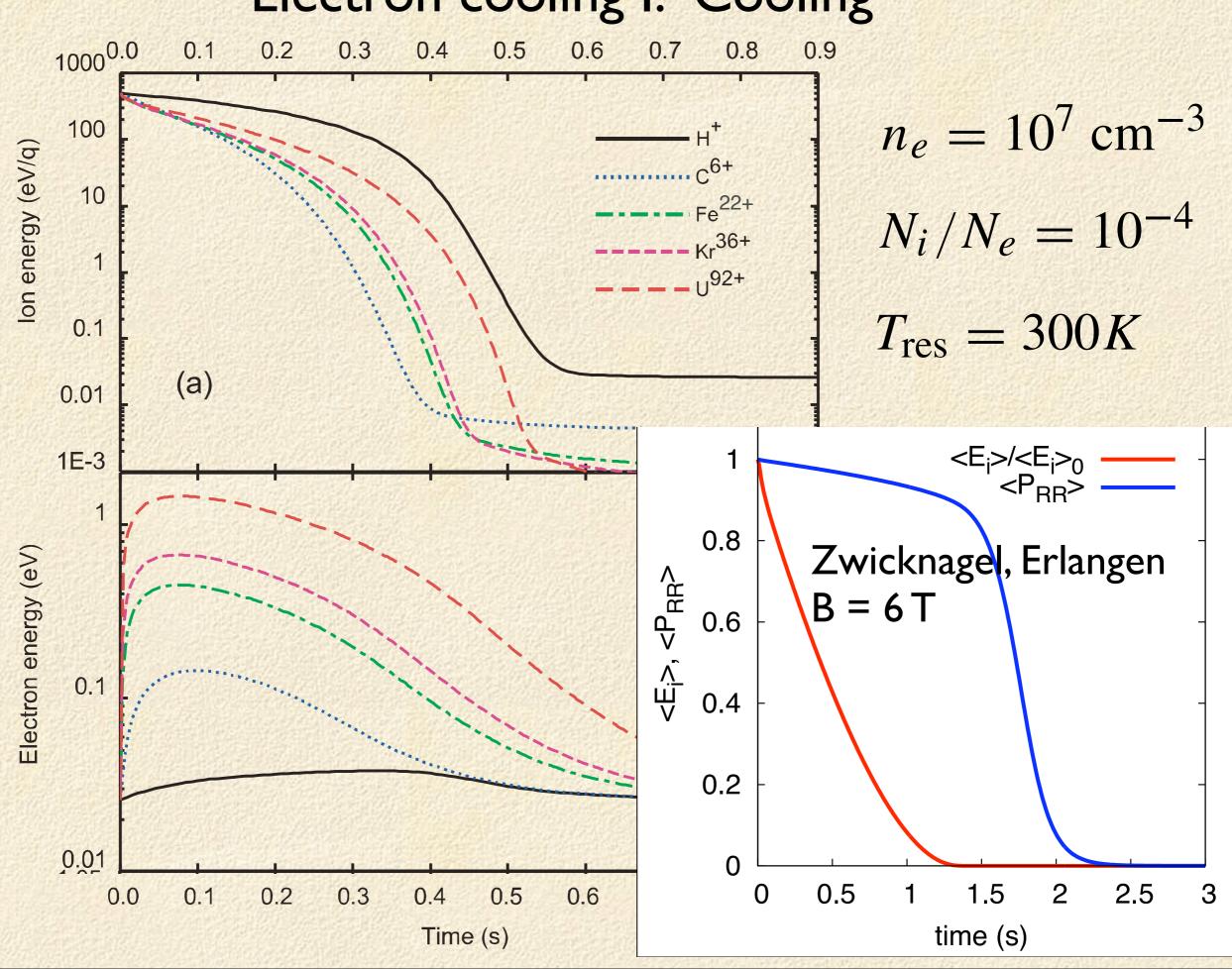
$$\begin{split} \frac{dT_e}{dt} &= \frac{1}{\tau_i} \frac{N_i}{N_e} (T_i - T_e) - \frac{1}{\tau_e} (T_e - T_{res}), \\ \frac{dT_i}{dt} &= -\frac{1}{\tau_i} (T_i - T_e), \\ \tau_i &= \frac{3(4\pi\epsilon_0)^2 m_e m_i c^3}{8\sqrt{2\pi} n_e q^2 e^4 ln(\Lambda)} \left(\frac{kT_i}{m_i c^2} + \frac{kT_e}{m_e c^2} \right)^{\frac{3}{2}} \\ ln(\Lambda) &= \ln \left(4\pi \left(\frac{\epsilon_0 k}{e^2} \right)^{\frac{3}{2}} \frac{1}{q} \sqrt{\frac{T_e}{n_e}} (T_e + \frac{m_e}{m_i} T_i + 2\sqrt{\frac{m_e}{m_i}} \sqrt{T_e T_i} \right) \end{split}$$

Electron cooling I: Cooling



$$n_e = 10^7 \text{ cm}^{-3}$$
 $N_i/N_e = 10^{-4}$
 $T_{\text{res}} = 300K$

Electron cooling I: Cooling



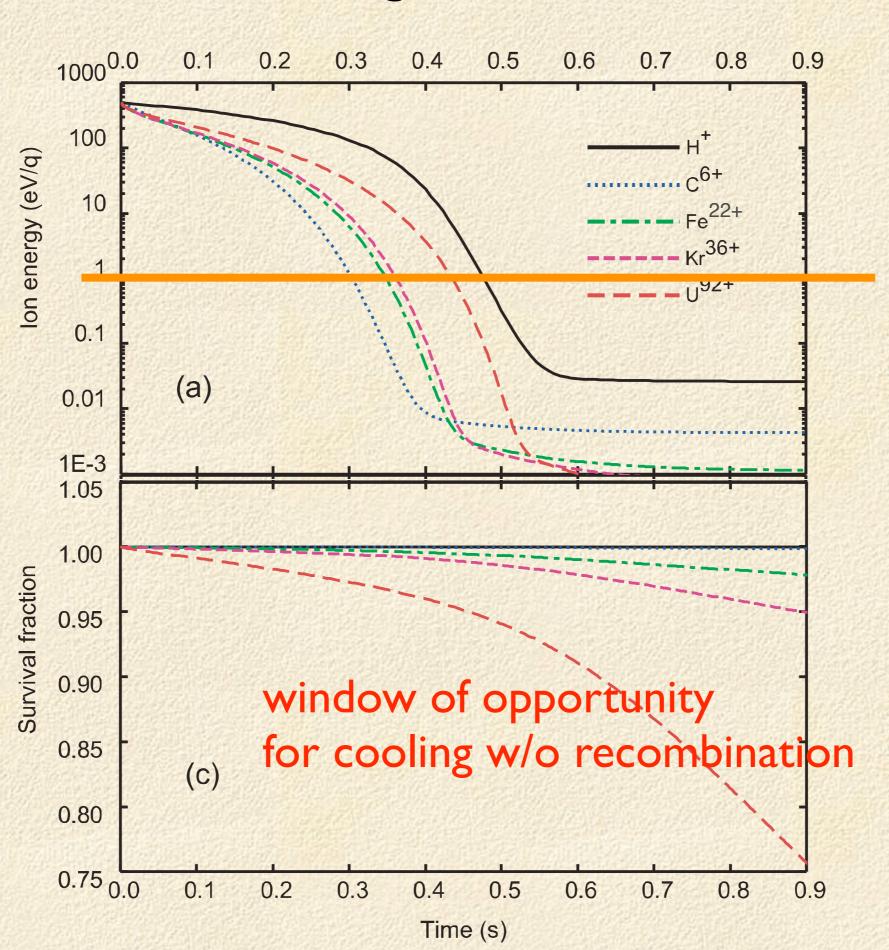
Electron cooling II: Recombination

$$\frac{dP}{dt} = (\alpha_{RR} + \alpha_{DR} + \alpha_{TBR})n_e$$

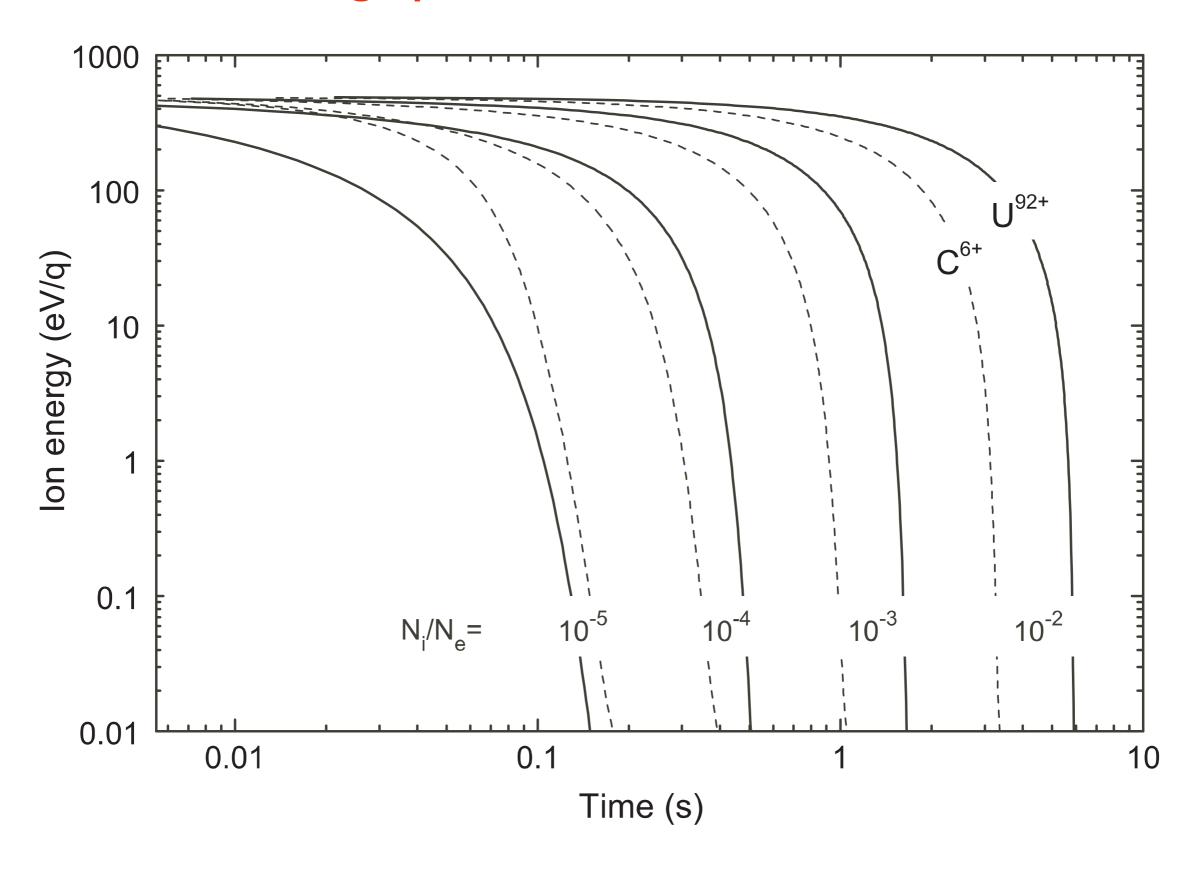
$$\alpha_{\rm RR} = 5.2 \times 10^{-14} Z_{\rm eff} \sqrt{\frac{E_{\infty}}{T_{\rm eff}}} (0.43 + \frac{1}{2} \ln (E_{\infty}/T_{\rm eff}) + 0.469 (E_{\infty}/T_{\rm eff})^{-1/3}) \, \text{cm}^3 \, \text{s}^{-1}$$

$$\alpha_{\text{TBR}} = [2.0 \times 10^{-27} \text{ cm}^6 \text{ s}^{-1}] q^3 T_{\text{eff}}^{-4.5} n_e$$

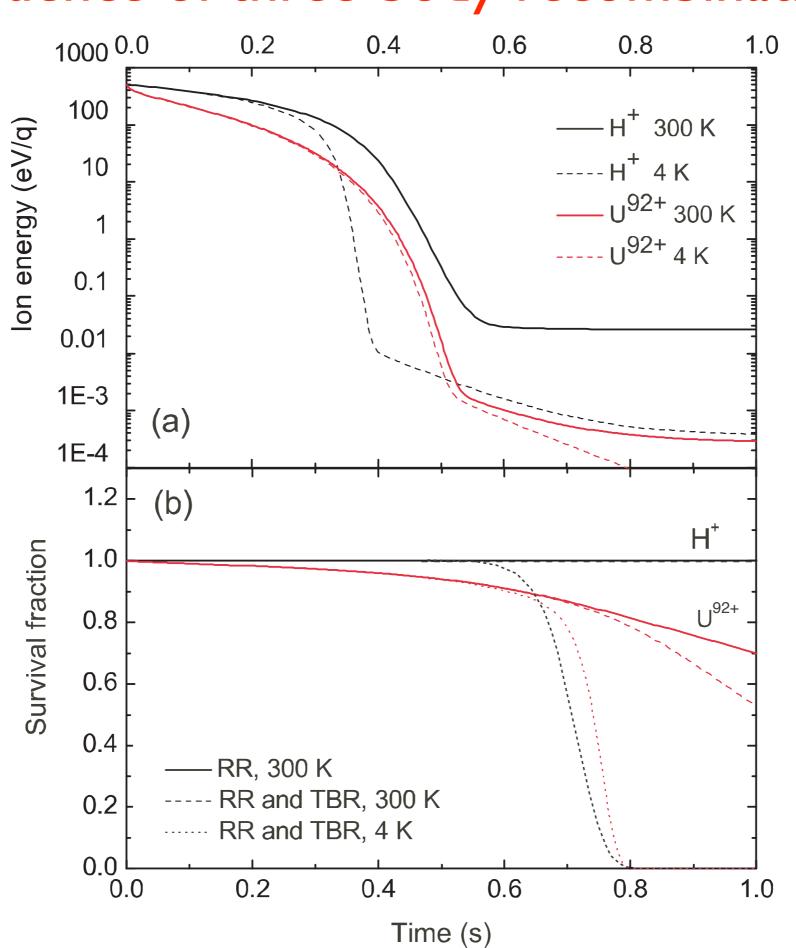
Electron cooling II: Recombination



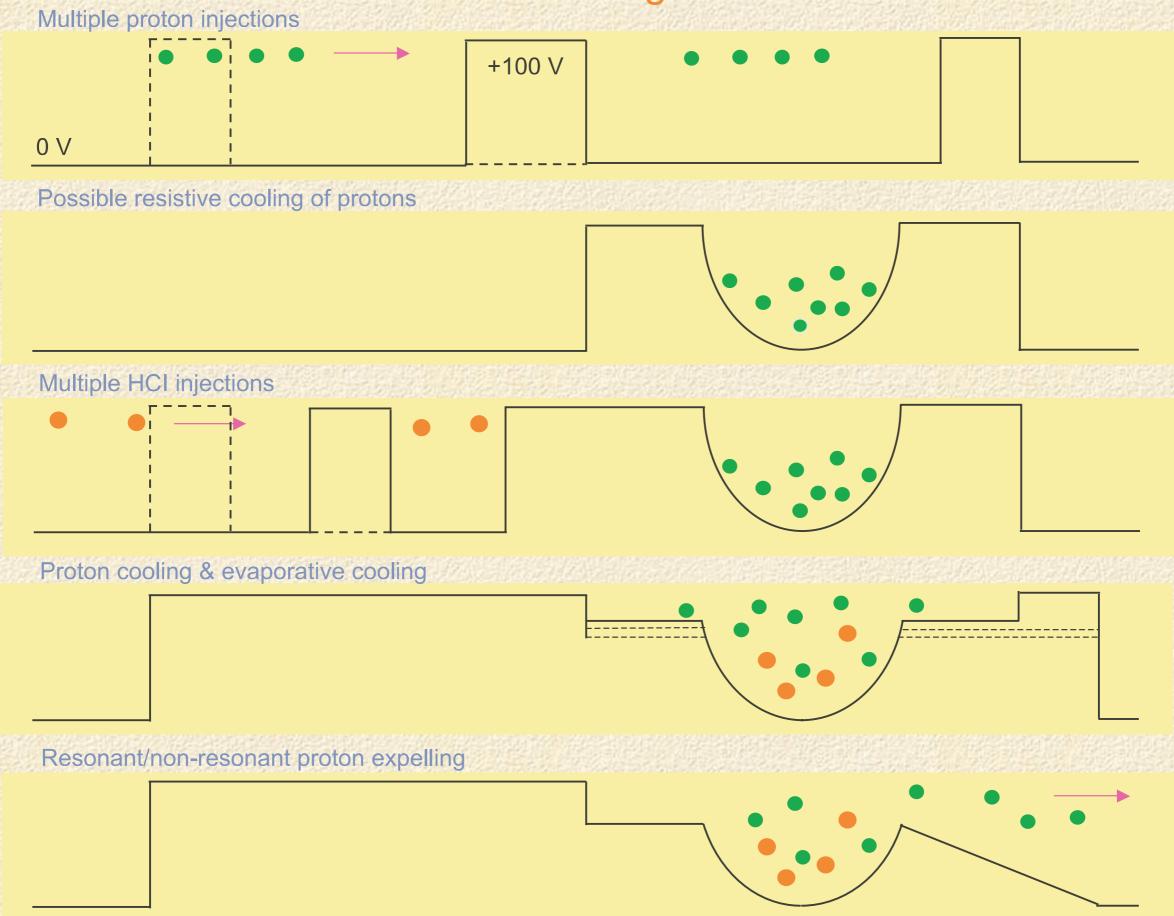
Cooling speed as a function of N_i/N_e



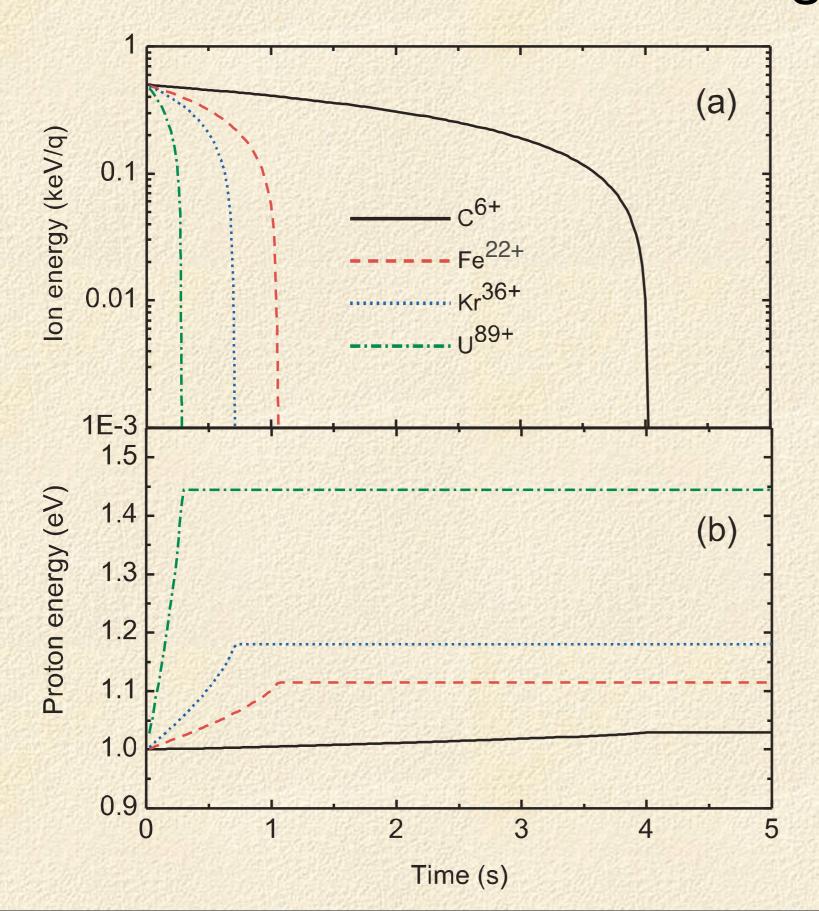
Influence of three-body recombination



Proton Cooling Scheme



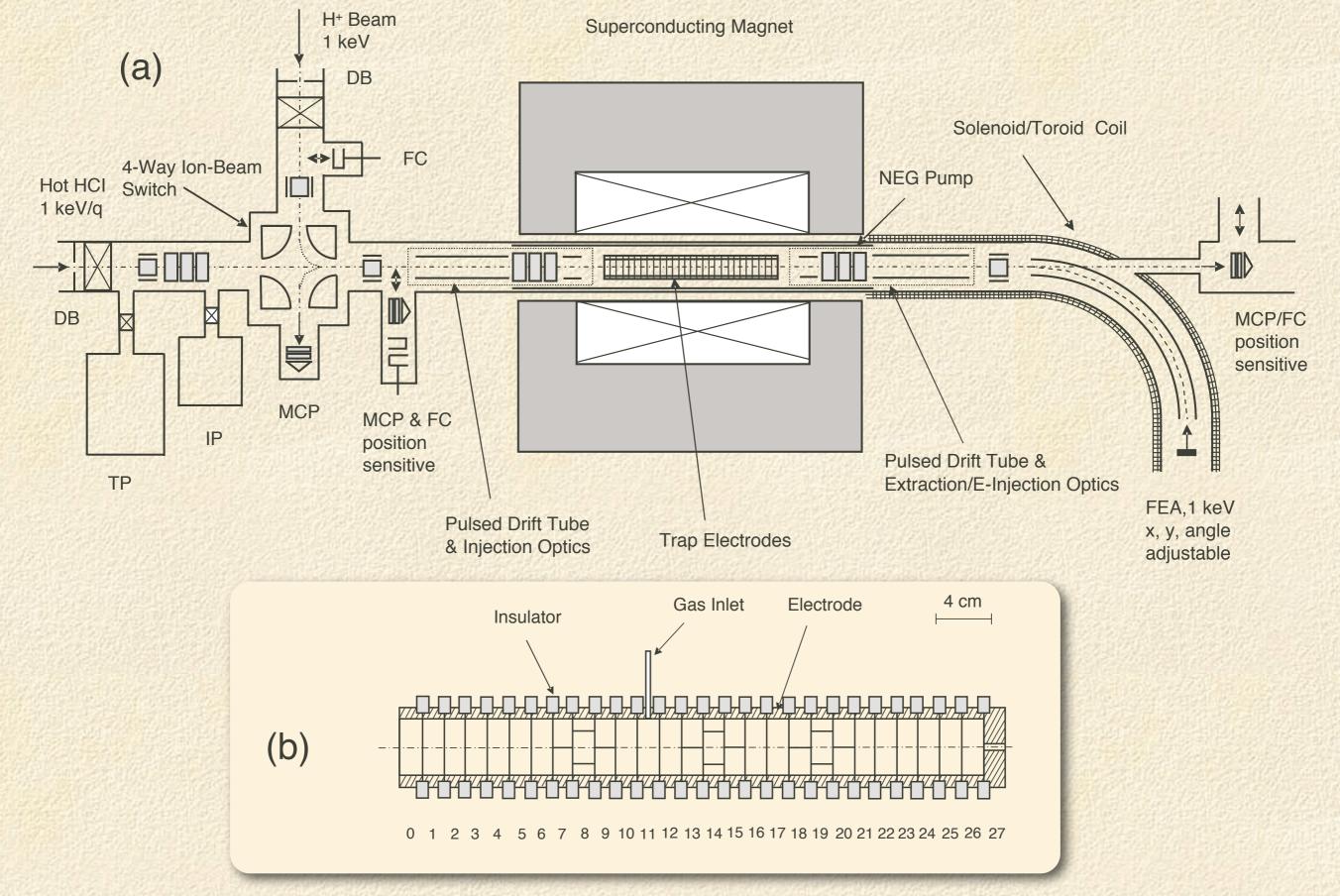
Proton cooling



$$n_p = 10^8 \text{ cm}^{-3}$$

 $N_i/N_p = 10^{-5}$

Design currently under way



Design currently under way

