

Determining the Magnetospheric Convection Electric Field from Lunar Shadowing

M. O. Fillingim (matt@ssl.berkeley.edu) and J. S. Halekas
Space Sciences Laboratory, University of California, Berkeley

PAST:

Apollo 15 & 16 Particles and Fields Subsatellites (PFS 1 & 2)

- First spacecraft to use **lunar shadowing** to determine the magnetospheric convection electric field [e.g., Anderson, 1970; Chase et al., 1974; McCoy et al., 1975; 1976; Lin et al., 1977]
- Measured **omni-directional** electron flux at 0.5, 2, 6, & 14 keV
- Orbit inclination: PFS 1: ~ 28°; PFS 2: ~ 10° (nearly equatorial)
- Operational life: PFS 1: Aug. 1971 – Feb. 1972 (TM failure)
PFS 2: Apr. 1972 – May 1972
(Total of 8 magnetotail passes)

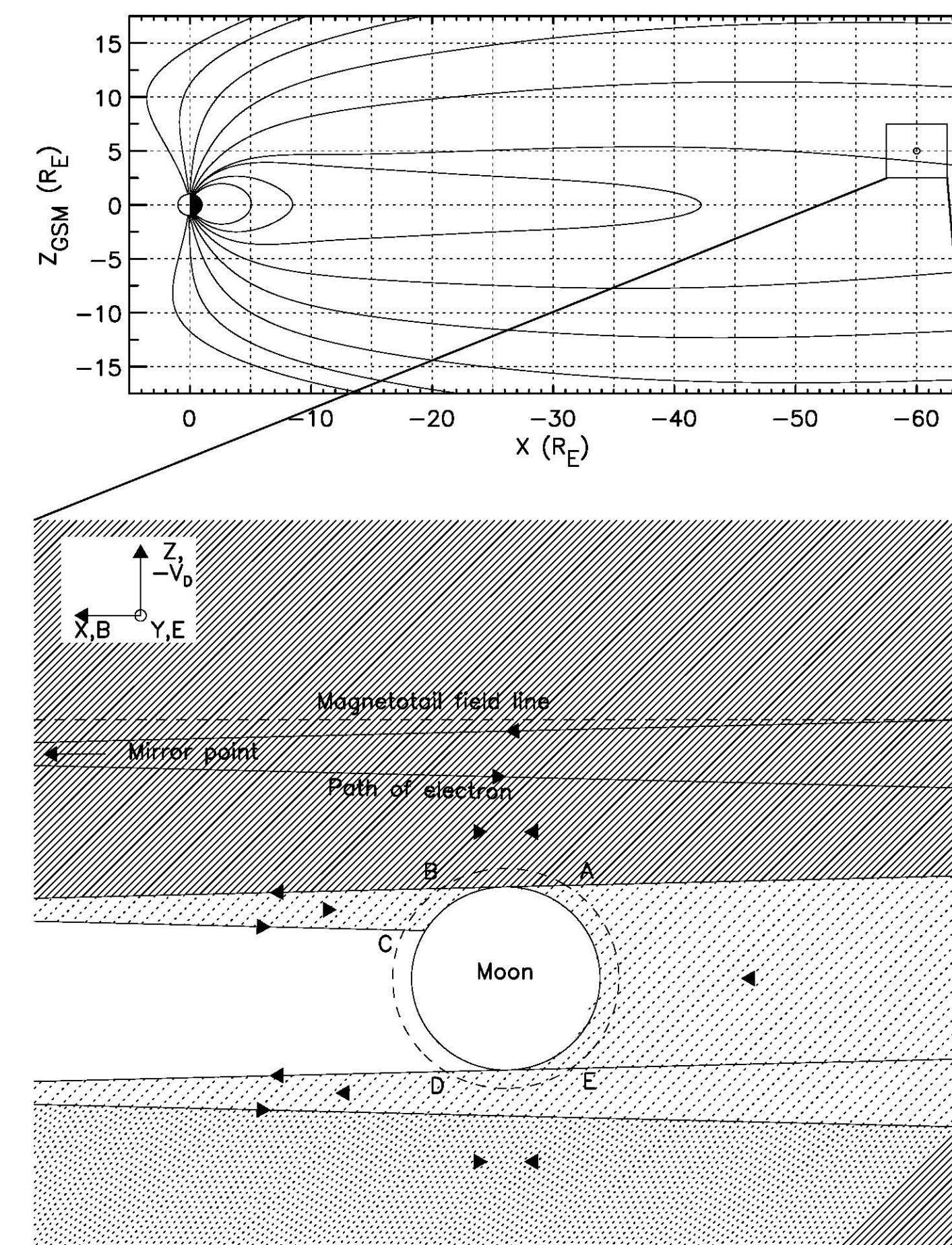
Summary of Results

- Observed range of convection electric field, E : < 0.02 – 2 mV/m
Median of ~ **0.15 mV/m** in the dawn-dusk direction
- Corresponding convection velocity, V_D : < 5 – 190 km/s
Median of ~ **15 km/s** toward the neutral sheet

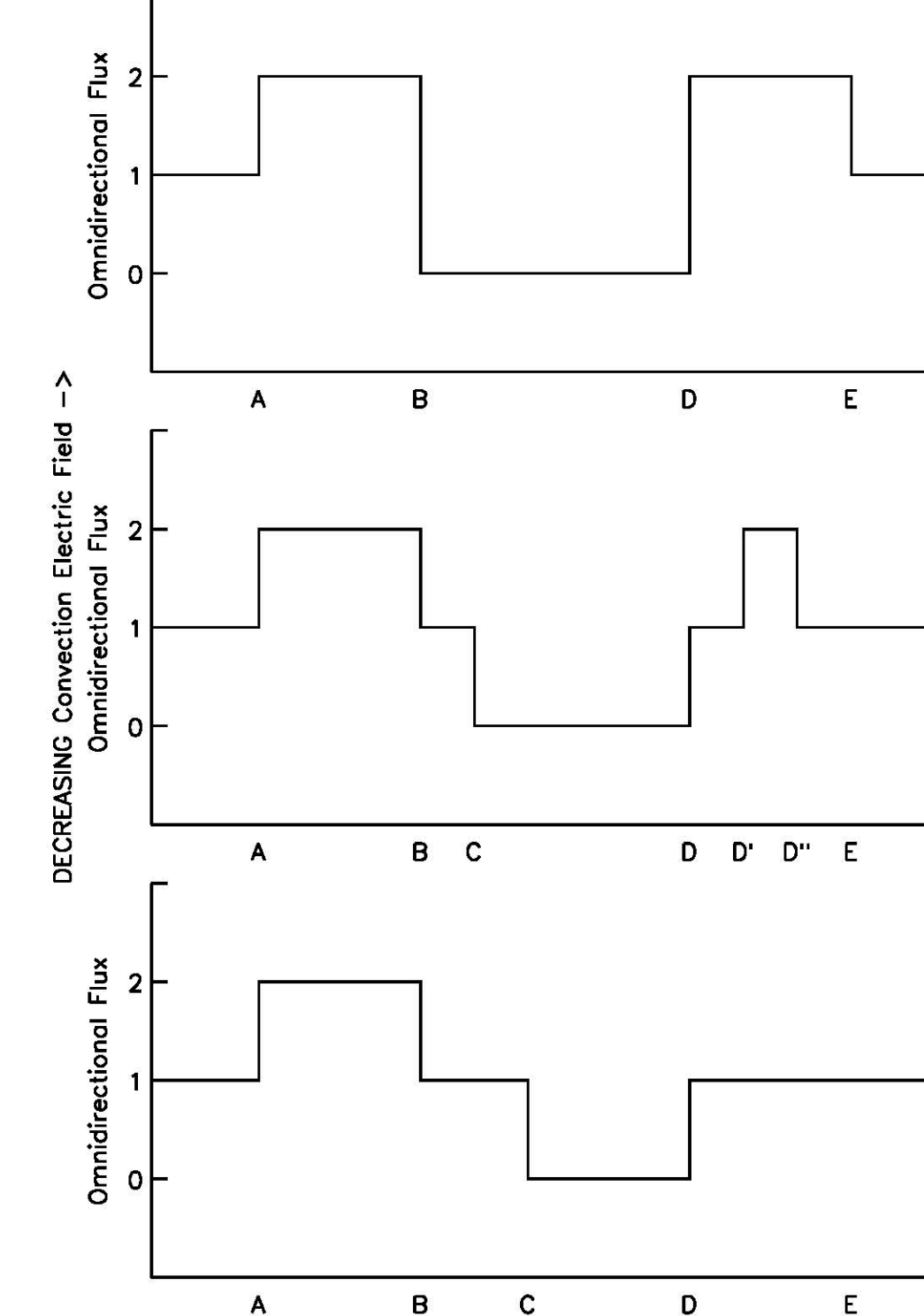
Methodology

- In the high latitude magnetotail, solar wind electrons travel Earthward on open field lines
- The solid body of the Moon acts as a particle absorber creating a lunar shadow in the Earthward electron flux
- Electrons just outside the lunar shadow mirror near Earth and return to the vicinity of the Moon deflected by the magnetospheric cross tail convection electric field
- By measuring this displacement of mirrored electrons (the distance from B to C), the electric field can be determined

Lunar shadowing is the most sensitive technique to measure weak electric fields (< 0.1 mV/m) in the **low-density** magnetotail



Ideal Omni-directional Flux Profiles



FUTURE:

Future Work:

- Determine E for 18 months of data
 - LP spent ~ 1 week/month in the magnetotail
 - ~ 1/2 of that time in the lobe (other 1/2 in the plasma sheet)
 - 2 hour orbital period
 - > 700 orbits
- More rigorous determination of t_m → particle tracking
Track particles using semi-empirical magnetic field model (e.g., T96 or your favorite model)
- Correlate with solar wind and IMF conditions
How does solar wind influence E ?

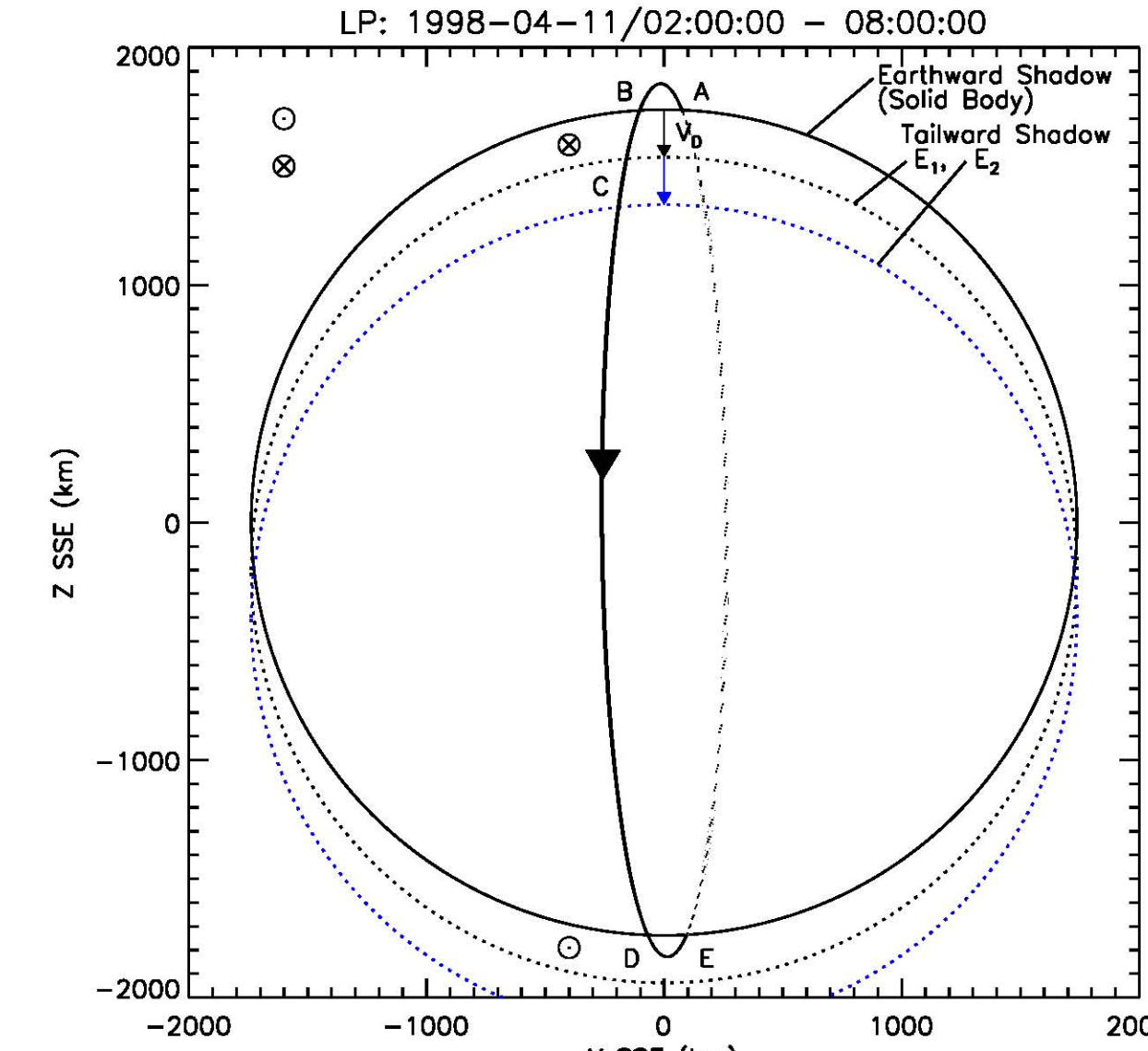
PRESENT:

Lunar Prospector Electron Reflectometer (ER)

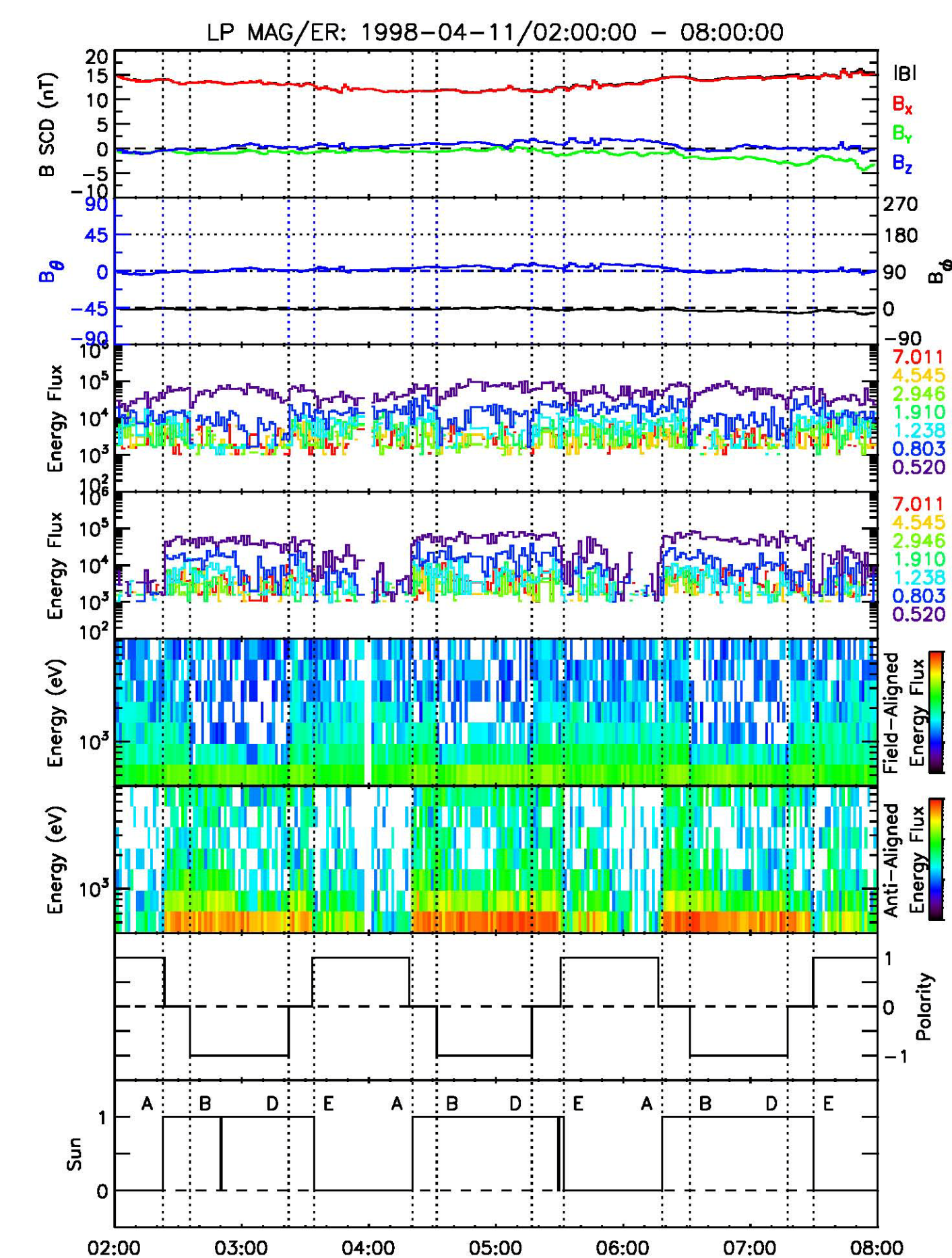
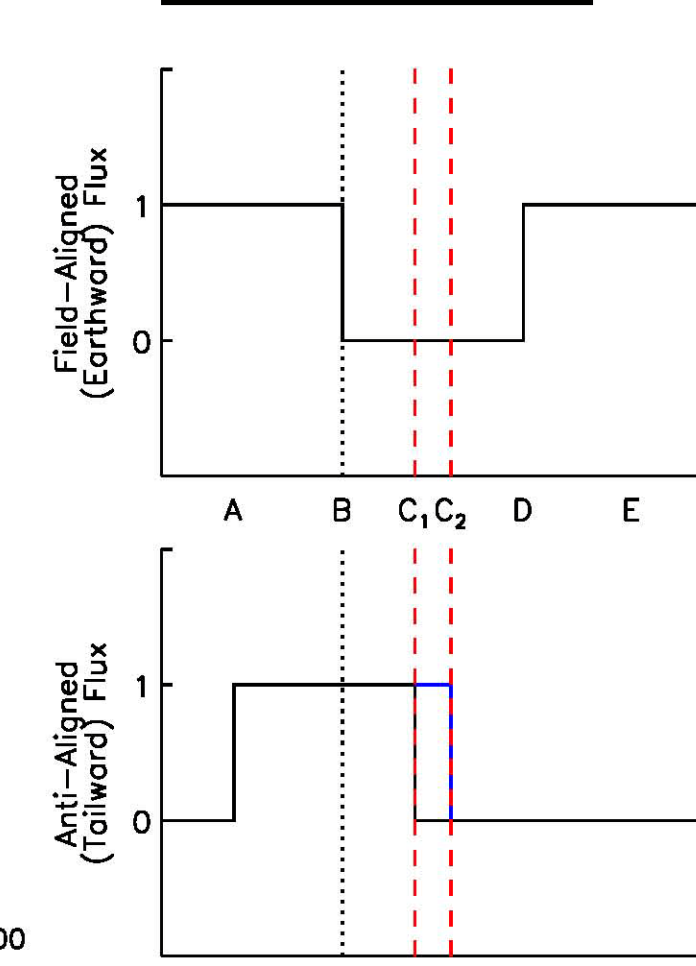
- Measured 3D electron distributions
- Energy range: ~10 eV – 20 keV ($\Delta E/E \sim 38\%$)
- Time resolution: 2.5 sec integration time; 80 sec cadence
- Angular resolution: up to 22.5° X 22.5° in equatorial bins
- Orbit inclination: 90° (polar orbit)
- Operational life: Jan. 1998 – July 1999
(18 magnetotail passes – more than doubles the amount of data from PFS 1 & 2)

Increased energy, angular, and temporal resolutions of ER should allow us to determine the convection electric field from **lunar shadowing** with greater sensitivity and accuracy

Orbit Configuration



Ideal Flux Profiles



Panels 1 & 2: Magnetic field
Magnetic field magnitude is stable and magnetic field direction is Earthward
→ Northern lobe

Panels 3 – 6: Electron flux
Field-aligned (pitch angle $\leq 60^\circ$) & anti-aligned (pitch angle $\geq 120^\circ$) directional fluxes
• ≤ 500 eV: solar photon contamination in anti-aligned direction
• ≥ 2 keV: low particle counts

Panels 7 & 8: LP orbit
Is LP magnetically connected to the Moon?
|Polarity| = 1, yes; = 0, no
Does LP see the Sun? = 1, yes; = 0, no

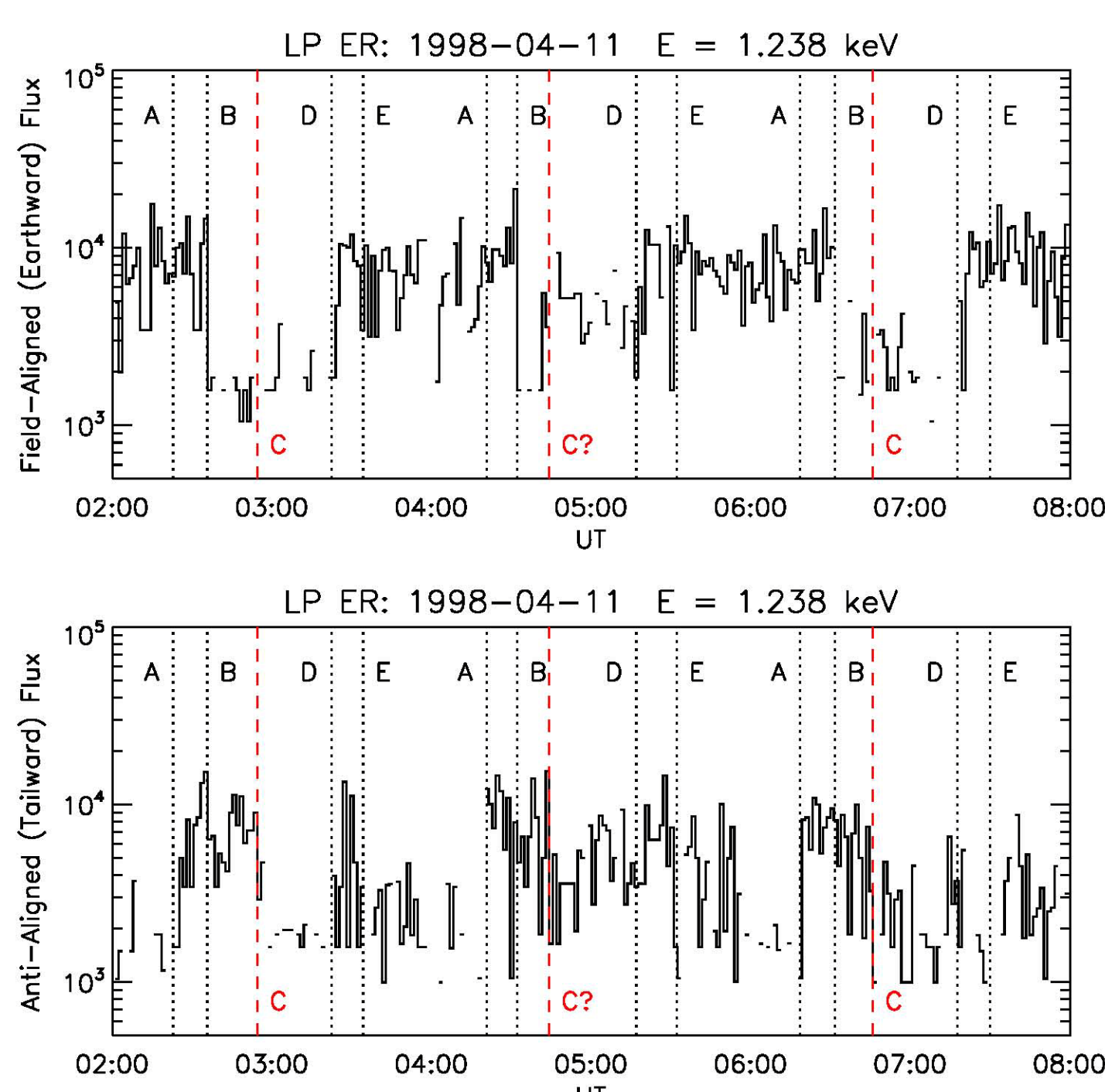
3 lunar orbits (A to E) → 3 shadow events

For the following computations, only use 0.8 and 1.2 keV energy channels

Solar Wind Conditions

- Wind was located about 225 R_E upstream
- B , V , & E time-shifted to 60 R_E downtail
- B_x mostly > 0
- $B_y \sim E_z$ mostly < 0

• $B_z \sim -E_y$ weak, variable but no more variable during 2nd shadow (inconsistent E) than during 3rd shadow (consistent E) (?)



Shadow 1: $\Delta t_{B-C}^{1.2 \text{ keV}}$: 1130 ± 80 s
 $\Delta Z_{B-C}^{1.2 \text{ keV}}$: 1260 ± 130 km
Shadow 2: $\Delta t_{B-C}^{1.2 \text{ keV}}$: 723 ± 80 s
 $\Delta Z_{B-C}^{1.2 \text{ keV}}$: 635 ± 130 km
Shadow 3: $\Delta t_{B-C}^{1.2 \text{ keV}}$: 858 ± 80 s
 $\Delta Z_{B-C}^{1.2 \text{ keV}}$: 945 ± 130 km

Shadow 1: $\Delta t_{B-C}^{0.8 \text{ keV}}$: 1372 ± 80 s
 $\Delta Z_{B-C}^{0.8 \text{ keV}}$: 1646 ± 130 km
Shadow 2: $\Delta t_{B-C}^{0.8 \text{ keV}}$: 1286 ± 80 s
 $\Delta Z_{B-C}^{0.8 \text{ keV}}$: 1426 ± 130 km
Shadow 3: $\Delta t_{B-C}^{0.8 \text{ keV}}$: 858 ± 80 s
 $\Delta Z_{B-C}^{0.8 \text{ keV}}$: 945 ± 130 km

Results

The displacement, Z , is the product of the convection velocity, V_D , and the round-trip travel time of the mirrored electrons, t_m :

$$Z = V_D t_m = (E \times B) / B^2 \cdot t_m$$

$$E = -(Z \times B) / t_m$$

where t_m [s] = $d/v_e \approx 120 R_E \cdot 6378 \text{ km}/R_E / (18800 \text{ km/s} \cdot \sqrt{E [\text{keV}]})$
(for a more rigorous treatment of t_m , see McCoy et al. [1975])

We assume $Z = \Delta Z_{B-C}$; i.e., $V_D = -V_{Dz}$, and $E = E_y$ (dawn-dusk)
→ lower limit of E

$E_1^{1.2 \text{ keV}} = 0.44 \pm 0.05 \text{ mV/m}$ $E_1^{0.8 \text{ keV}} = 0.48 \pm 0.04 \text{ mV/m}$
→ consistent!
 $E_2^{1.2 \text{ keV}} = 0.22 \pm 0.05 \text{ mV/m}$ $E_2^{0.8 \text{ keV}} = 0.41 \pm 0.04 \text{ mV/m}$
→ inconsistent!
 $E_3^{1.2 \text{ keV}} = 0.33 \pm 0.05 \text{ mV/m}$ $E_3^{0.8 \text{ keV}} = 0.27 \pm 0.04 \text{ mV/m}$
→ consistent!

