

Cometary Interaction with Martian Atmosphere

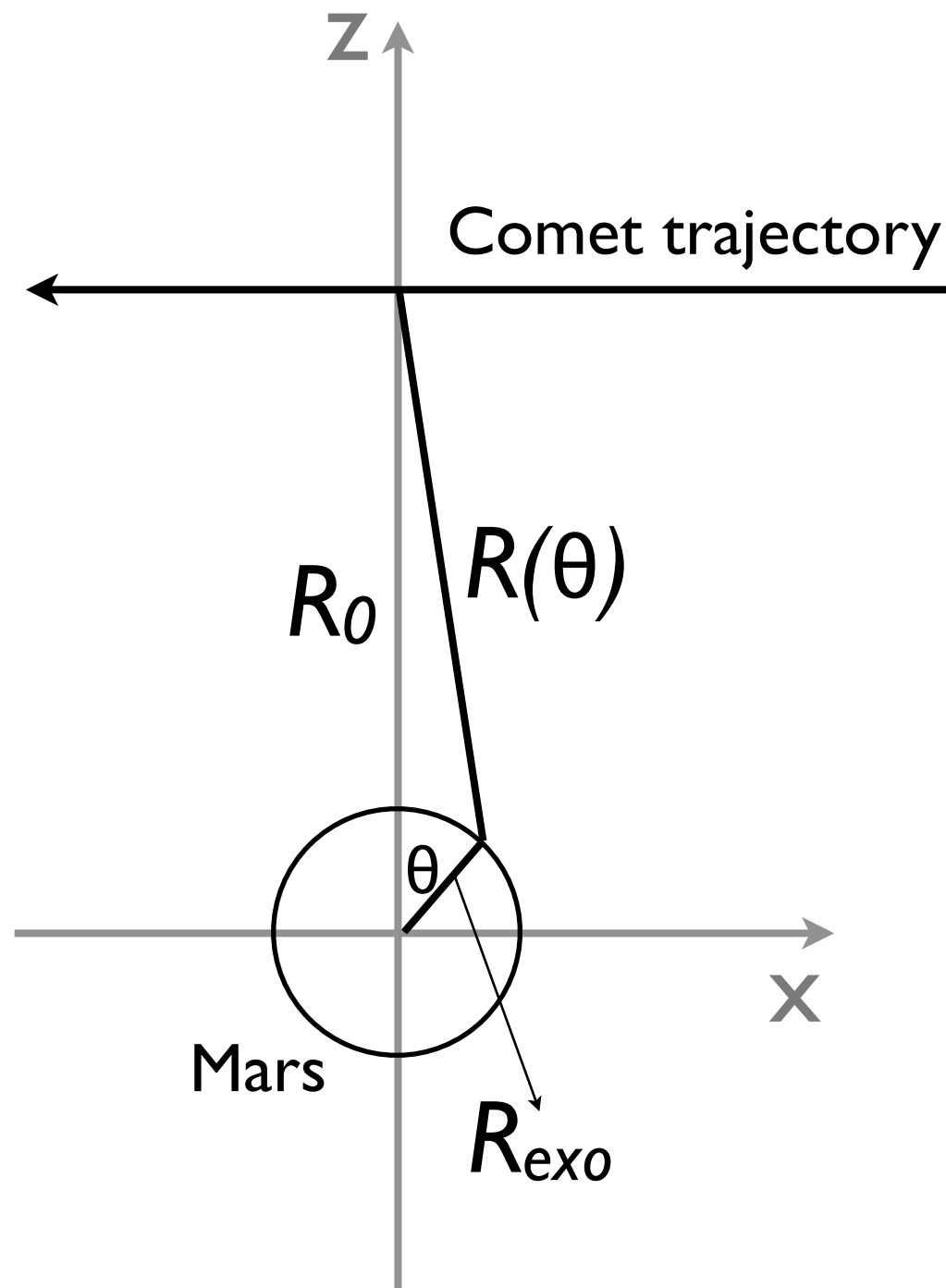
Yung-Ching Wang (Jinnee)
SSL, UCB

March 12, 2014

○ Sputtering from Comet

- Assume neutral O dissociated from H₂O outgassing from comet, while incident flux decay with R^{-2}
- O precipitates with cometary speed (v_c) = 56 km/s $\Rightarrow$ Energy of O = 262 eV
- Calculate the sputtering effects with O source rate (Q_c) = 10^{28} s^{-1} at (R_0) = 169,500 km $\Rightarrow$ Scale the results to other Q_c and R_0

Precipitation rates



- At closest approach:

$$F_0 = \int_0^\pi \int_0^\pi \frac{Q_c}{[R(\theta)]^2} R_{exo}^2 \sin \theta d\theta d\phi$$

where

$$[R(\theta)]^2 = R_{exo}^2 (x^2 - 2x \cos \theta + 1)$$

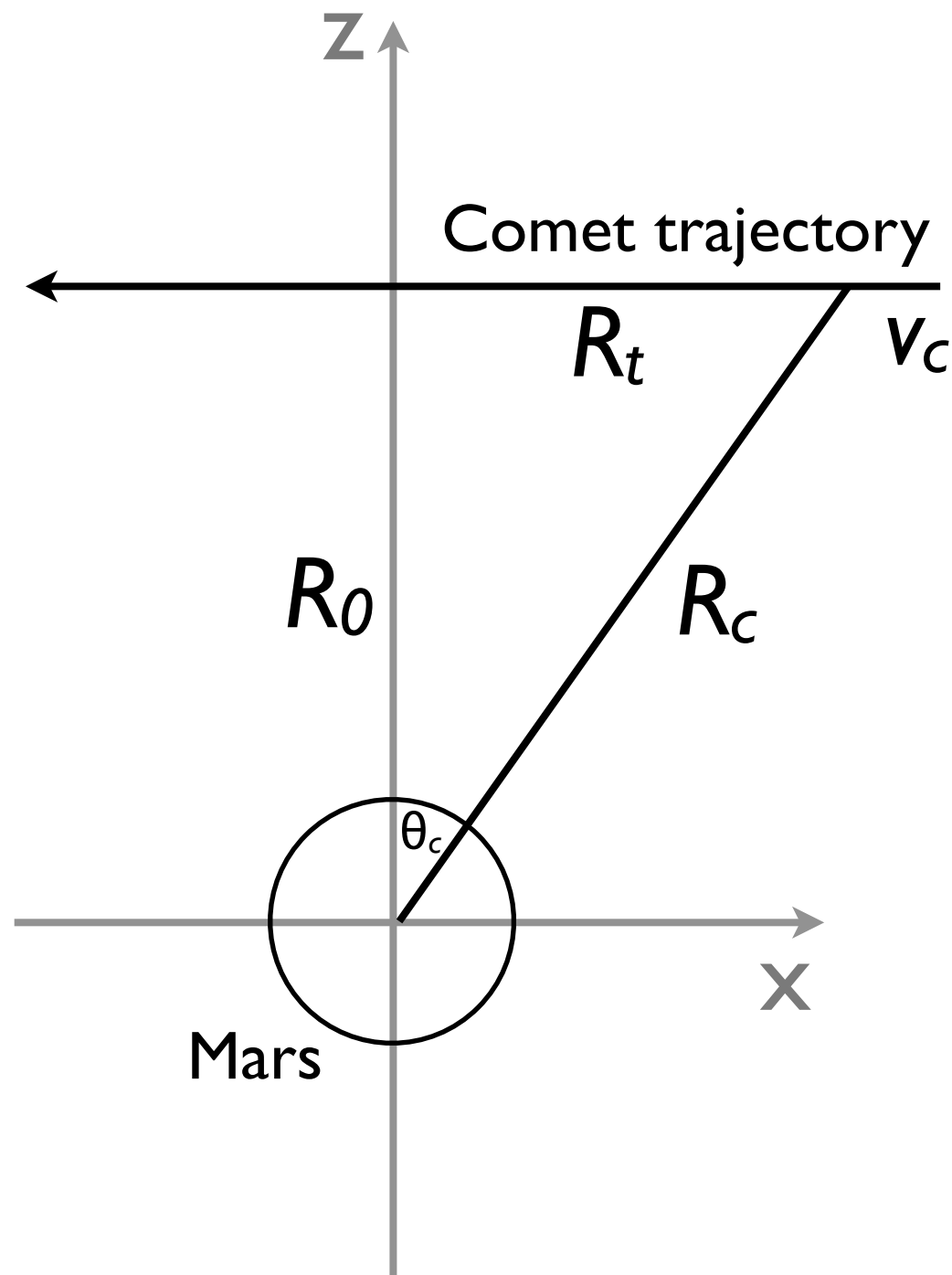
$$x = \frac{R_0}{R_{exo}}$$

$$R_{exo} = R_M + h_{exo}$$

$\Rightarrow$

$$F_0 \propto R_0^{-2}$$

Integrate along trajectory



- Assume simplified trajectory with constant speed of (v_c) $\Rightarrow$ Integrate precipitation rate from infinity

$$F_{\text{int}} = \int_{t_c}^{\infty} F(R, t) dt$$

with

$$F(R, t) = F_0 \frac{R_0}{[R_c(t)]^2}$$

$$t = R_t / v_c$$

$$R_c = R_0 \sec \theta_c$$

$$R_t = R_0 \tan \theta_c$$

$\Rightarrow$

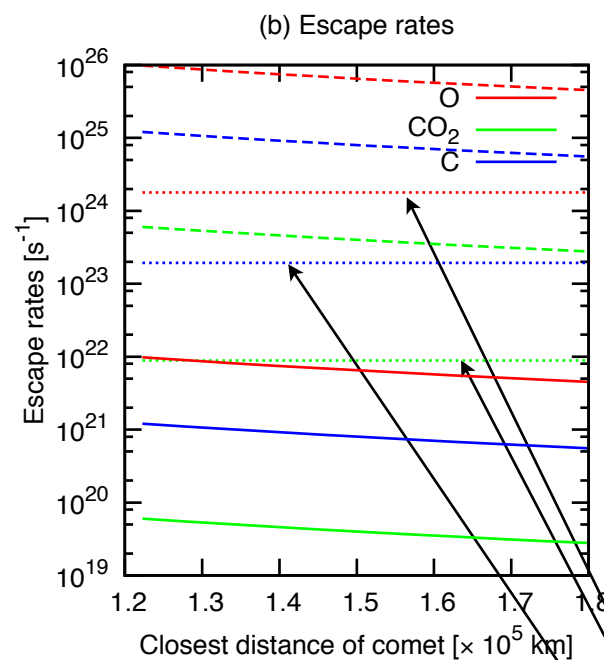
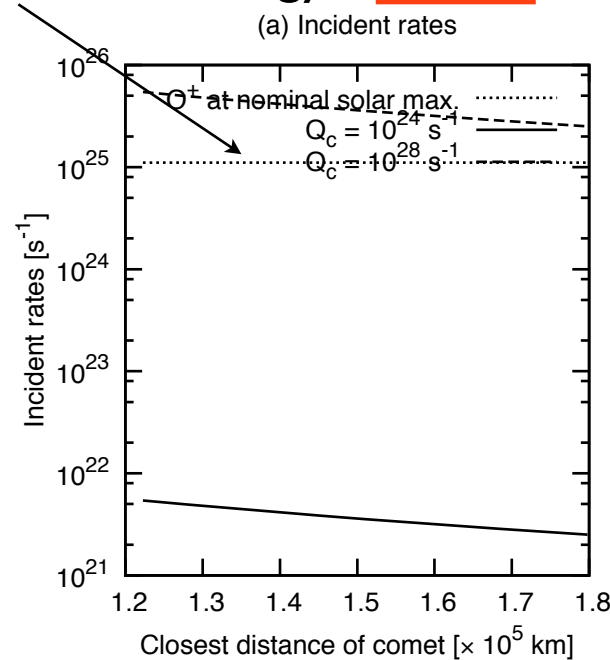
$$F_{\text{int}} = \frac{1}{2} F_0 \left(\frac{R_0}{v_c} \right) \propto R_0^{-1}$$

Cometary precipitation

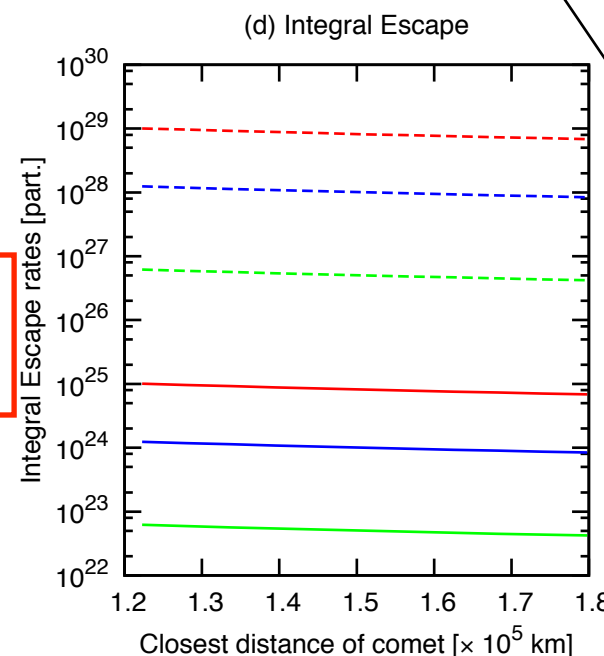
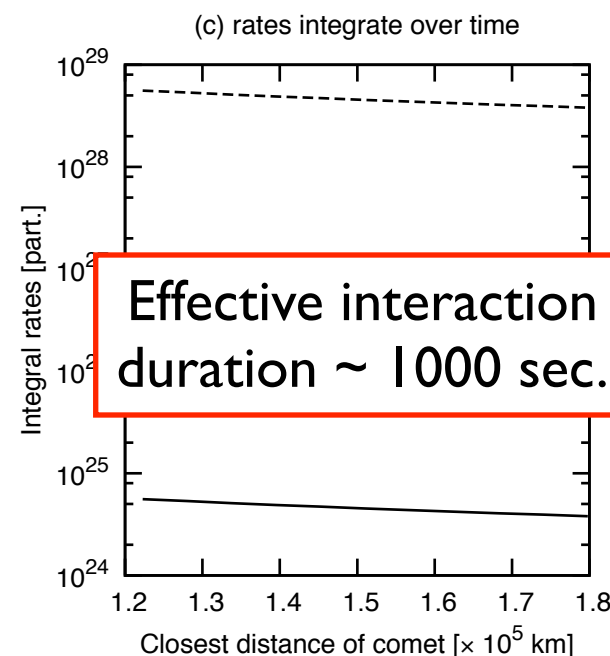
Pick-up O^+ precipitation rate at nominal solar max. (Fang et al., 2013; Wang et al., 2013).

Averaged incident energy = **60 eV**

F_0



F_{int}



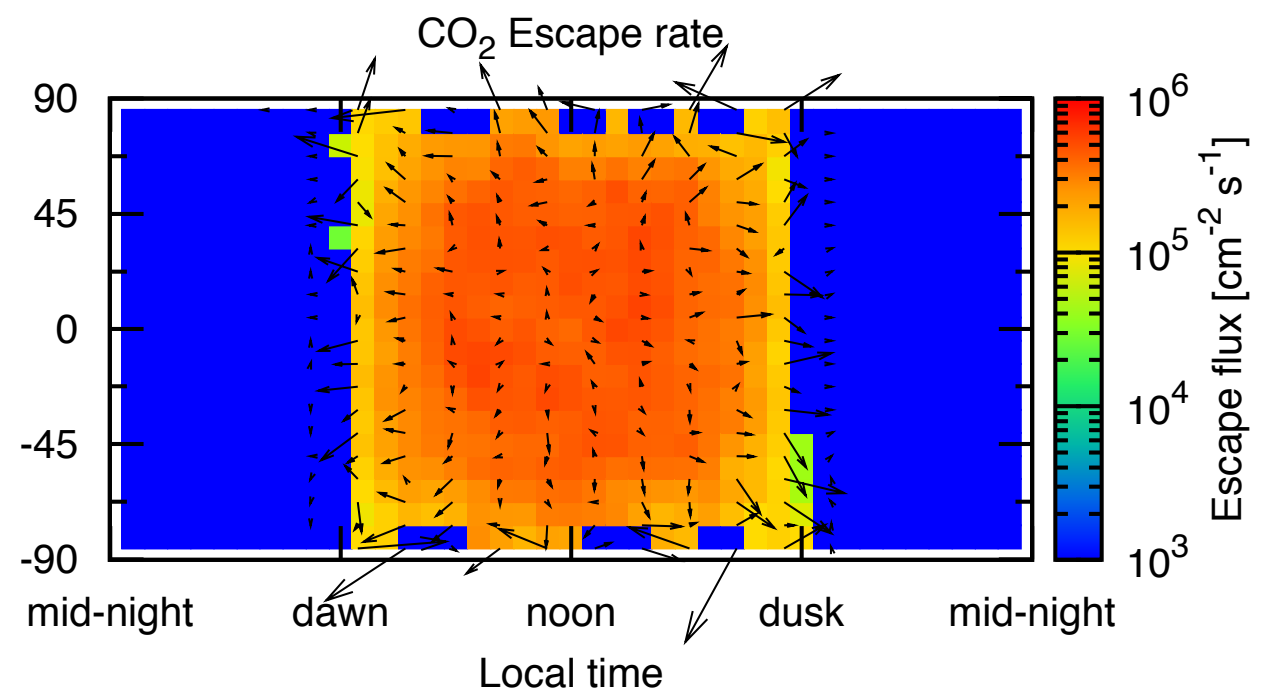
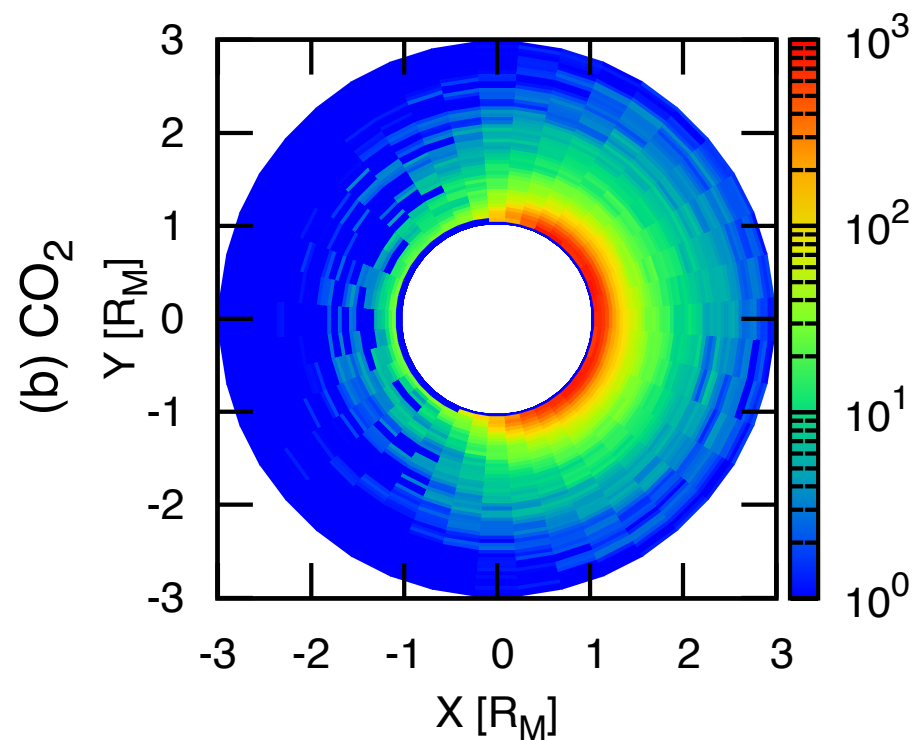
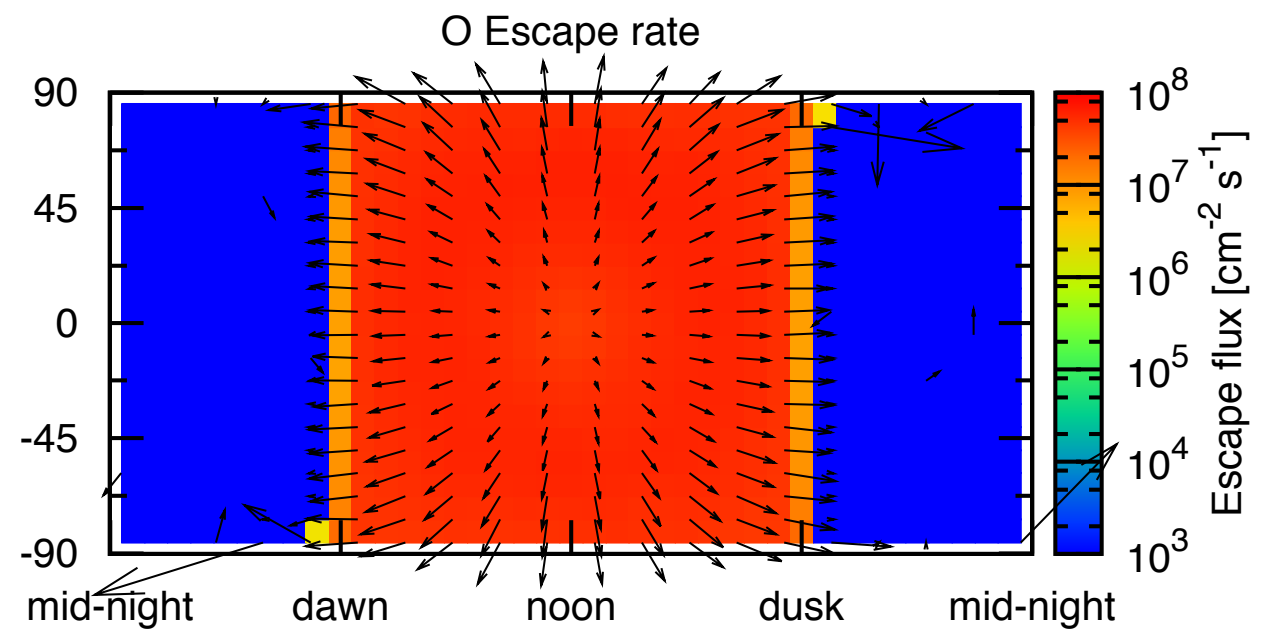
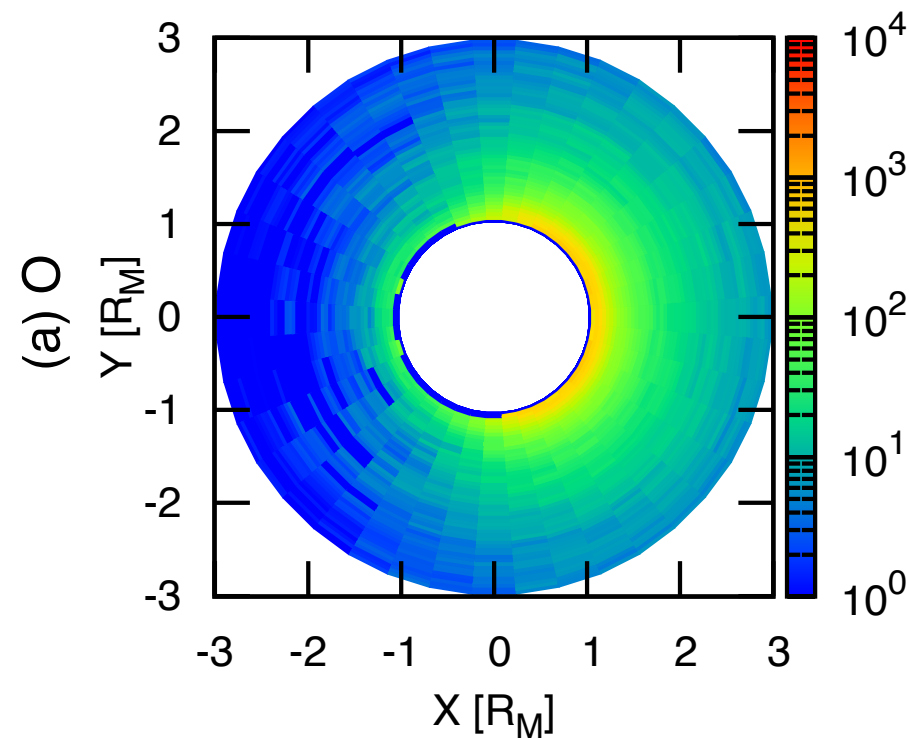
- Scale escape rates from simulated escape yields $\Rightarrow$

[O, CO_2 , C] = [180%, 1%, 22%]

c.f. with pick-up O^+

[O, CO_2 , C] = [16%, 0.08%, 2%]

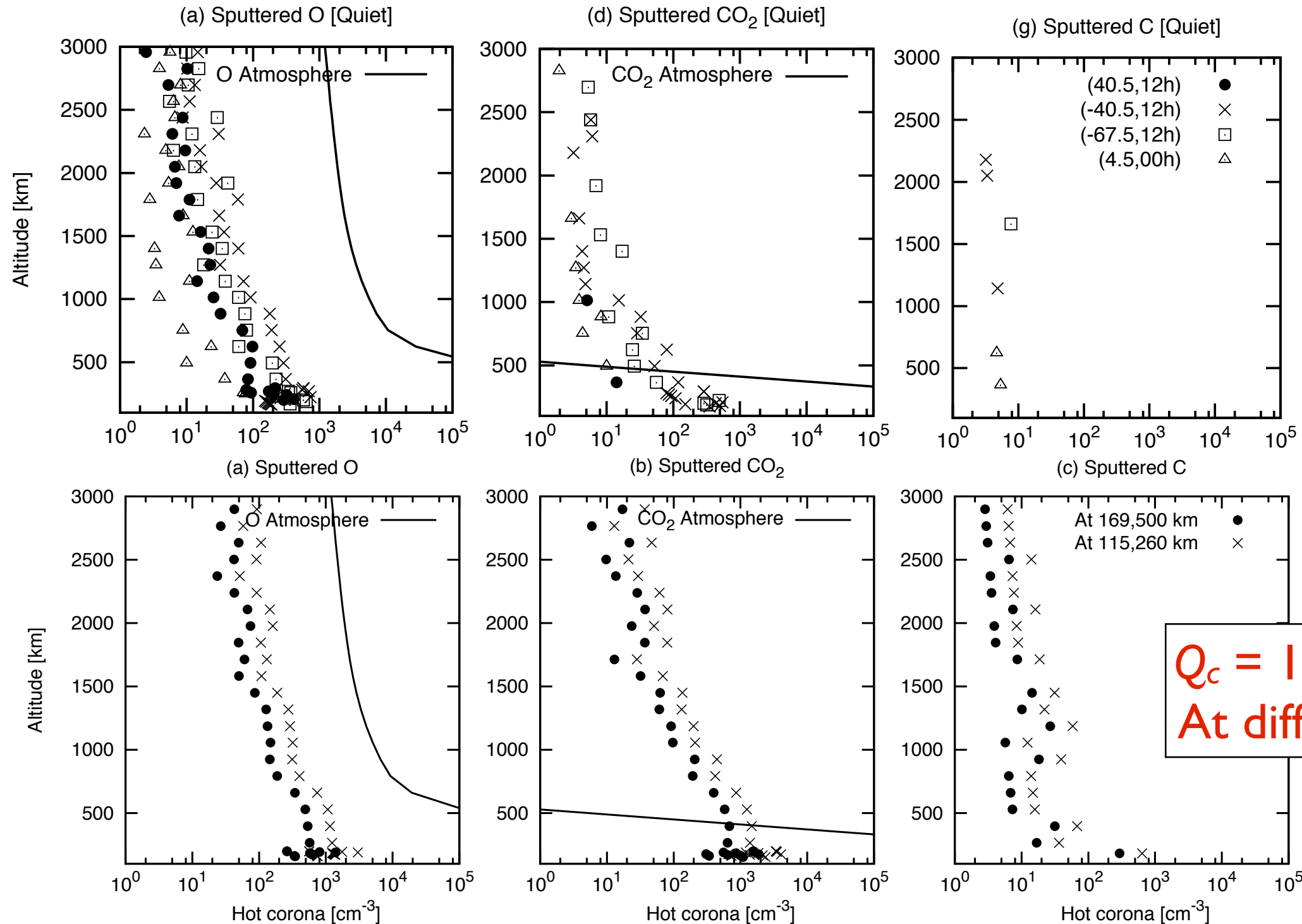
$$Q_c = 10^{28} \text{ s}^{-1} \text{ at } R_0 = 169,500 \text{ km}$$



Hot corona

Pick-up O^+

Cometary O



$\Rightarrow$ If $Q_c \approx 10^{28} \text{ s}^{-1}$, cometary O sputtered CO₂ hot corona may be detectable at $R_0 < 169,500 \text{ km}$.